

Effect of the Drain Configuration on the Current-Voltage Characteristics of Vertical Nanowire Field Effect Transistors

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1. Introduction

Nanowire Field Effect Transistors (NW FETs) are claimed to offer better performance than their planar counterparts [1] and are compatible with existing CMOS technology. Recently [2], we investigated the effects of ambient field from the gate and drain electrodes on the current-voltage characteristics of a Vertical (V) NW FET having lightly doped ungated NW length, L_{DG} (see Fig. 1). In the present paper, these effects are clarified on the basis of Gauss's law and their ramifications on the design of a VNW power FET are detailed.

2. Effects of the Drain Configuration

Refer to Fig. 1 and Table I for the symbols and description of device parameters. The values of these parameters correspond to the experimental device considered in [3]. The effects of our interest originate from the 3D nature of electric field at drain (see Fig. 2). Assume cylindrical coordinate system in which the z -axis coincides with the NW axis and is directed from source to drain, and the r axis is along the NW radius. For a device with $L_p = 0$, we showed the following in [2]: the field component E_r enhances the hole concentration over L_{DG} (see Fig. 3(a)); the ambient field divides L_{DG} into a gate controlled section $(1-\alpha)L_{DG}$ and a drain controlled section αL_{DG} (see Fig. 3(b)); the gate controlled section adds to the channel length; at high $|V_{DS}|$, i.e. in saturation, the field component E_z spreads over the drain controlled section (see Fig. 3(c)); α increases as L_E is increased, leading to higher saturation current, I_{Dsat} , saturation voltage, V_{Dsat} , breakdown voltage, V_{Dbr} and output resistance, R_{out} (see Fig. 3(d)).

In saturation, the spreading of E_z over αL_{DG} simultaneously with the enhancement of the hole concentration in the same region appears to be an anomaly, considering the familiar 1D p-n junction where the spreading of the field is associated with depletion of mobile carriers. An insight into this anomaly is now provided using Gauss's law, written as

$$\nabla \cdot E = \frac{1}{r} \left[\frac{\partial(rE_r)}{\partial r} + \frac{\partial E_\theta}{\partial \theta} + \frac{\partial(rE_z)}{\partial z} \right] = \frac{\rho}{\epsilon_s} \quad (1)$$

Assuming uniform conditions over θ , we can write E_z as

$$\frac{\partial E_z}{\partial z} = \frac{\rho}{\epsilon_s} - \frac{E_r}{r} - \frac{\partial E_r}{\partial r} \quad (2)$$

Spreading of the electric field implies reduction of $\partial E_z / \partial z$. Consider the RHS of (2) and refer to Fig. 2. For $L_E = 550$ nm, E_r is directed outward and increases with r , i.e. the terms E_r and $\partial E_r / \partial r$ are positive and tend to reduce $\partial E_z / \partial z$ implying spreading of the field. However, outward

E_r originates from a positive ρ in the wire and so, implies an increased hole concentration as well. Thus, spreading of the field and increased hole concentration occur together for large L_E . In contrast, for a 1D p-n junction, the Gauss's law would not contain the 2nd and 3rd terms of the RHS of (2), and so, increase in ρ would imply an increase in $\partial E_z / \partial z$. Also note that, for $L_E = 0$, E_r and $\partial E_r / \partial r$ are negative resulting in high $\partial E_z / \partial z$.

3. Design of the Drain Configuration in a VNW power FET

A relatively high power FET may be realized using several VNW FETs, which have a lightly doped L_{DG} and are connected in parallel by a common drain contact realized using a continuous top metal, for increasing the current levels. In such a device, each VNW FET has an inherent drain contact extension, and so, the drain contact not only sums up the currents of individual FETs but also improves the I_{DS} - V_{DS} curve of the whole device, by raising the V_{Dbr} , V_{Dsat} , I_{Dsat} and R_{out} of individual FETs.

Compare the V_{Dbr} from the simulated I_{DS} - V_{DS} curves in Fig. 4 for $L_{DG} = 265$ nm and 665 nm. The increase in V_{Dbr} with L_{DG} for $L_E = 0$ is much smaller than that for $L_E = 550$ nm. Thus, an ungated length raises V_{Dbr} significantly only when it is accompanied by appropriate L_E . It is important to know just how much L_E is sufficient for improving the I_{DS} - V_{DS} curves, because the interwire separation $= 2(L_E + \text{wire radius})$ decides the current density. In Fig. 4, for $L_{DG} = 265$ nm (665 nm), the I_{DS} - V_{DS} curves for $L_E = 120$ nm (180 nm) and 550 nm (550 nm) are almost identical. This implies that the field modulation of L_{DG} and the consequent improvement in characteristics are fully manifest using a minimum L_E which is $= L_{Emin} < L_{DG}$ and increases with L_{DG} ; increase in L_E beyond L_{Emin} does not fetch much improvement in V_{Dbr} , V_{Dsat} , I_{Dsat} and R_{out} .

The values of L_{DG} and L_E for realizing a VNW power FET of a given V_{Dbr} having the maximum drain current density are obtained from simulation in two steps. First, we obtain the L_{DG} which gives the required V_{Dbr} for $L_E = L_{DG}$. Next, for this value of L_{DG} , we reduce the L_E until the simulated V_{Dbr} starts falling. If process constraints leave a larger L_{DG} than above, the target L_{DG} may be achieved by increasing the conductivity of the NW length, L_p (see Fig.1), by either heavy doping [4] or metal silicidation [5] as done in case of small signal applications. Our simulations show that the device characteristics depend on L_{DG} and L_E alone and not on L_p (see Fig. 5(a)), as the simulated potential contours over L_{DG} within the NW for devices with and without L_p are almost identical if their L_{DG} are the same (see Fig. 5(b)). A detailed design procedure for estimating all the geometrical and process parameters for a specified voltage and current rating will be dealt with in a fuller paper.

References

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- [3] J. Goldberger *et al.*, Nano Lett., **6**, 973 (2006).
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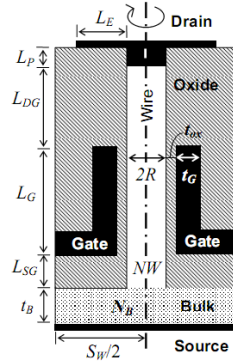


Fig. 1 The cross-section of the silicon VNW-MOSFET considered in our work (diagram not to scale). Top contact is schottky type [3], bulk contact is ohmic.

Table I Details of parameters employed in our simulations. See Fig. 1 for the device structure. Interface charges are neglected [3].

Description	Symbol	Value
Wire – doping (p-type), diameter, separation	N_W , $2R$, S_W	$3 \times 10^{16} \text{ cm}^{-3}$, 25, 1125 nm
Gate – length, oxide thickness, metal thickness	L_G , t_{ox} , t_G	550, 35, 30 nm
Bulk – doping (p-type), thickness	N_B , t_B	$3 \times 10^{19} \text{ cm}^{-3}$, 20 nm
Bulk – gate separation, Top contact – gate separation	L_{SG} , L_{DG}	35, 65 – 665 nm
Top contact – lateral extension, penetration into the wire	L_E , L_P	$0 - (S_W/2 - R)$, 0 – 600 nm
Work function of – gate, top contact	ϕ_{MG} , ϕ_{MT}	4.32, 4.50 eV
Low field hole mobility, Critical normal field for mobility degradation, saturation velocity	μ_0 , E_C , v_{sat}	$6.89 \text{ cm}^2 \text{ V}^{-1} \text{ s}^{-1}$, 100 KV cm^{-1} , $8.37 \times 10^6 \text{ cm s}^{-1}$

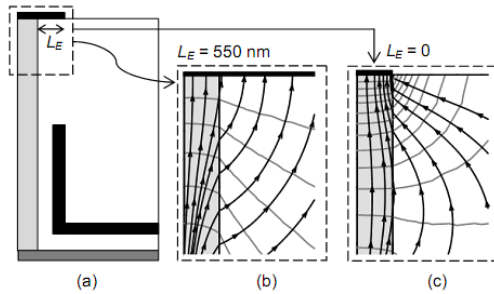


Fig. 2 Schematic of the right half of the cross section of VNWFET with arbitrary L_E (a); Field lines and potential contours (simulated using SENTAURUS) in the dashed box portion of (a) for $L_E = 550$ nm (b) and $L_E = 0$ (c). $L_{DG} = 665$ nm, $V_{GS} = -2.5$ V, $V_{DS} = -5$ V.

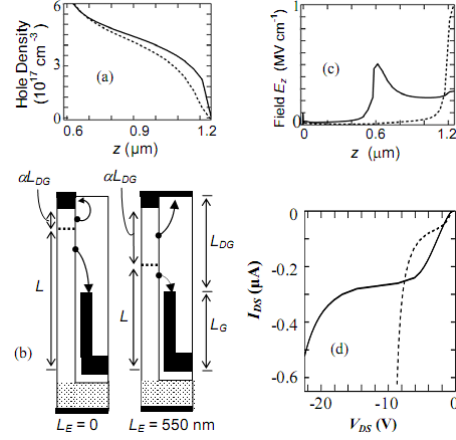


Fig. 3 (a) Simulated hole distribution along the NW axis over L_{DG} from gate edge to drain contact, for $V_{GS} = V_{DS} = -2.5$ V. (b) Schematic illustrating the division of L_{DG} into drain-controlled and gate-controlled sections, and the effective channel length L , for $L_E = 0$ and 550 nm. Arrows from L_{DG} represent field lines. (c) Field distribution, E_z , at breakdown along the NW axis from source to drain. (d) Simulated $I_{DS}-V_{DS}$ curves showing linear, saturation and breakdown regions. In (a), (c) and (d) $L_P = 0$, $L_{DG} = 665$ nm, $V_{GS} = -2.5$ V with $L_E = 0$ (dashed line) and $L_E = 550$ nm (solid line).

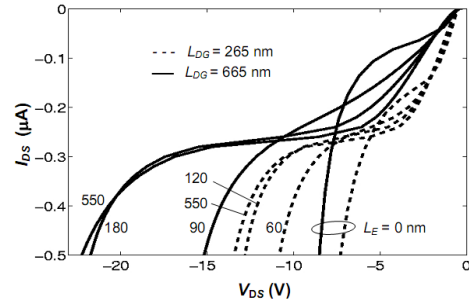


Fig. 4 Simulated $I_{DS}-V_{DS}$ curves for different L_E . See Table I for other parameter values employed in simulation.

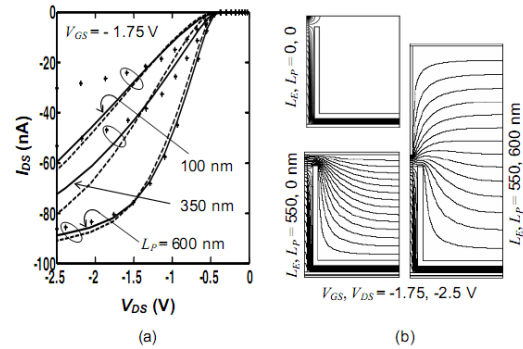


Fig. 5 (a) Solid lines are simulated $I_{DS}-V_{DS}$ curves showing the reduction in the influence of $L_E = 550$ nm with progressive increase in the drain contact penetration, L_P , and concomitant reduction in $L_{DG} = 665 - L_P$ nm; for comparison, other lines show simulated $I_{DS}-V_{DS}$ curves with same L_{DG} but $L_P = 0$ and two different values of $L_E = 0$ (crosses), 550 nm (dashed lines); curves for same L_{DG} are grouped together; solid lines show the reduction in the influence of L_E with progressive contact penetration. (b) Potential contours in right-half of the device cross-section for $L_{DG} = 65$ nm under different conditions of L_E and L_P .